

Optical Coherent Receiver Analysis



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Introduction (1)

Coherent receiver analysis



- Optical coherent receivers operate on the principle of mixing an incoming optical field (information channel) with a high power local oscillator (LO) signal prior to detection by the photodetector. When the frequencies of the LO and incoming optical field carrier are the same, the baseband signal is directly extracted from the output of the photodetector (**homodyne** detection). If the LO frequency is different from the incoming optical field carrier frequency, the information envelope is centered around an intermediate frequency (IF) resulting from the beating of the LO and information channel optical fields (**heterodyne** detection)
- Compared to intensity-modulated direct detection (IM-DD) systems, which are generally limited by thermal noise, coherent detection systems are limited by shot noise. This is due to the high LO optical power. For example, for homodyne detection, the photo-detected signal has the form [1]:

$$I_s = R \cdot (P_s + P_{LO} + 2a \cdot \sqrt{P_s P_{LO}}) \quad (1)$$

where R is the detector responsivity, P_s is the power of the information signal, P_{LO} is the power of the local oscillator and a is a variable representing the amplitude of the information (for example $a = -1$ or $+1$ for antipodal signaling). The last term on the right-hand side of Eq. 1 contains the transmitted modulation information.

- The signal to noise ratio is determined from [1]:

$$SNR = \frac{4R^2 P_s P_{LO}}{(PSD_{shot} + PSD_{thermal}) \cdot B} \quad (2)$$

where B is the electrical bandwidth of the receiver, and PSD_{shot} and $PSD_{thermal}$ represent the power spectral densities of the shot and thermal noise components, respectively

REF 1: L. Kazovsky, S. Benedetto, A. Willner, *Optical Fiber Communication Systems*, Artech House (1996), pp. 267-268

Introduction (2)

Coherent receiver analysis



- For a high LO power, the PSD_{shot} becomes the dominant noise source ($PSD_{shot} = 2qRP_{LO}$) and the SNR (for homodyne PSK) simplifies to [1]:

$$SNR = \frac{2RP_s}{qB} = 2\eta N_{photons} \quad (3)$$

where η is the quantum efficiency, and $N_{photons}$ is the average number of received photons per bit period. The right-most term of Eq. 3 is derived from the relationships $P_s = N_{photons} \cdot h \cdot \nu / T$ and $R = \eta q / h \nu$ where h is Planck's constant, ν is the optical field frequency (Hz), q is the elementary charge and T is the bit/symbol period (where it is assumed that $B = 1/T$)

- Demodulation of the transmitted data can be achieved **synchronously** or **asynchronously** [2]. For the former, the amplitude, phase or frequency of the carrier is directly recovered from the incoming information channel and generally requires a phase lock loop (PLL)*. For the latter, amplitude and frequency modulation parameters are detected by using an energy/envelope detector. As phase information is lost with envelope detection, a variant of asynchronous detection (differential demodulation) can be used for phase-shift keyed systems (the method tracks relative phase changes versus absolute phase)

REF 1: L. Kazovsky, S. Benedetto, A. Willner, *Optical Fiber Communication Systems*, Artech House (1996), pp. 267-268

REF 2: J.R. Barry and E.A. Lee, "Performance of coherent optical receivers," *Proc. IEEE* 78, 1369–1394 (1990)

* For homodyne detection, the LO must be phase locked to the incoming optical signal field (optical phase locked loop – OPLL) and thus is a synchronous detector

Introduction (3)

Coherent receiver analysis

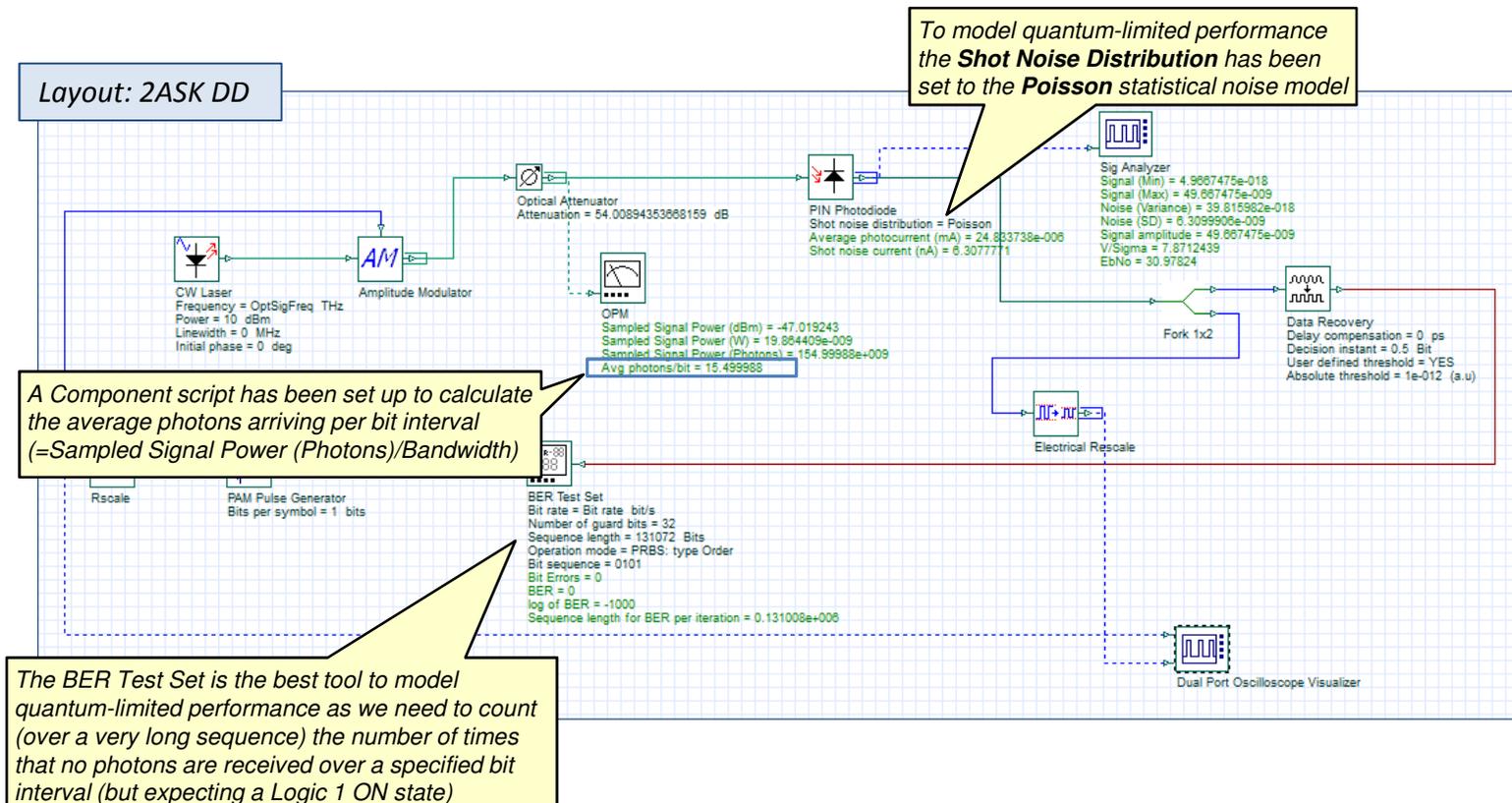


- For this application note the following examples will be reviewed :
 - Two level amplitude shift keying (OOK) with direct detection
 - Homodyne balanced receiver (using binary PSK antipodal modulation)
 - Homodyne balanced receiver (using quadrature PSK modulation)
 - Homodyne balanced receiver (using binary ASK modulation)
 - Synchronous heterodyne balanced receiver (using binary PSK modulation)
 - Asynchronous heterodyne balanced receiver (using differential binary PSK modulation)
 - Synchronous heterodyne balanced receiver (using quadrature PSK modulation)
 - Asynchronous heterodyne FSK balanced receiver (dual filter)
- These examples are located in the OptiSystem file *Sensitivity Analysis Coherent Receivers Version 1_0.osd*. BER analysis results can be found in *BER Analysis Coherent Receivers Version 1_0.xlsx*

Two-level ASK with direct detection

- In this example the quantum (shot) noise limit of an ideal PIN receiver (using binary ASK modulation) is analyzed. The test configuration is as follows : Bit rate: 10 Gb/s; Wavelength (OptSigFreq) = 193.414 THz; PIN responsivity ~ 1.25 A/W (QE*q/h*freq where QE=1); Dark current = 0 nA
- The probability of error is calculated as follows: $P(E) = 0.5 \cdot \exp(-2 \cdot N_{\text{photons}})$, where N_{photons} is the average number of photons received per bit period

REF: L. Kazovsky, S. Benedetto, A. Willner, *Optical Fiber Communication Systems*, Artech House (1996), pp. 199-200

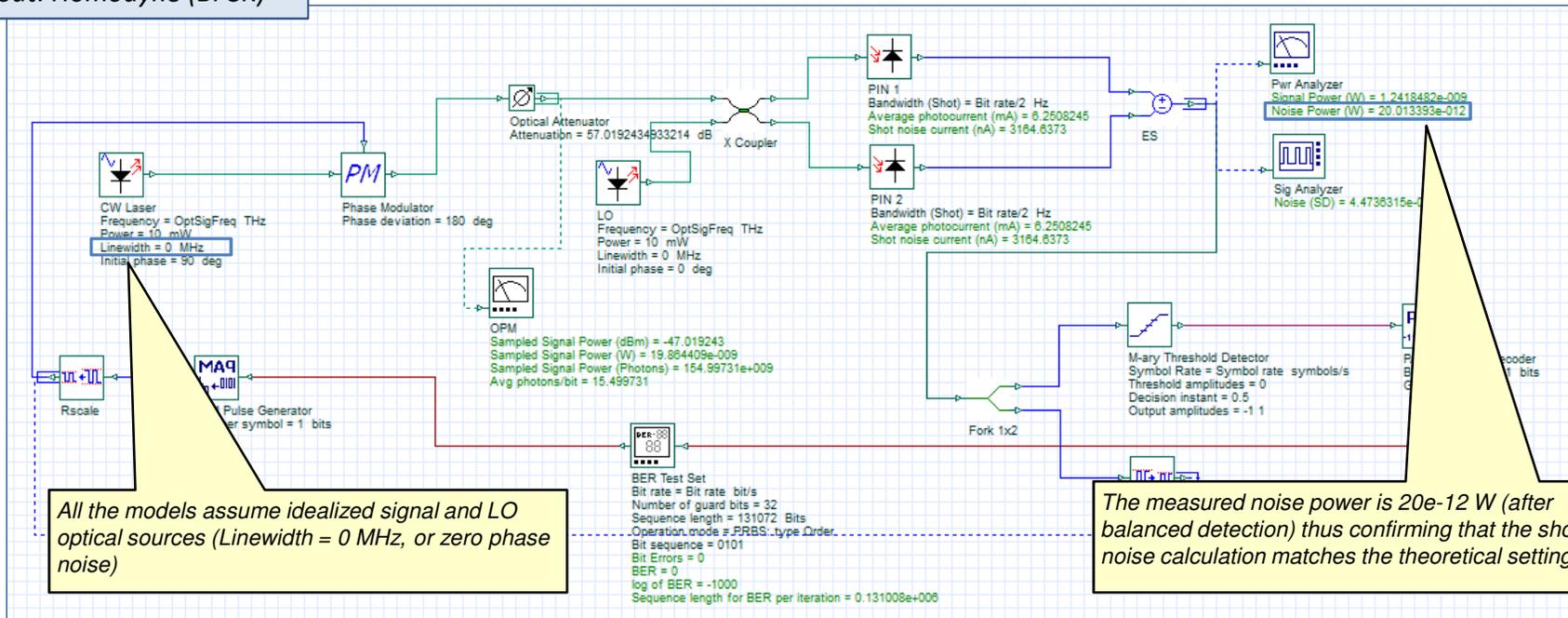


Homodyne balanced receiver (BPSK)

- In this example the quantum (shot) noise limit of an ideal homodyne balanced receiver (using binary PSK antipodal modulation) is analyzed. The test configuration is as follows: Bit rate: 10 Gb/s; Wavelength (OptSigFreq) = 193.414 THz; Power LO = 0.01 W; PIN responsivity $\sim 1.25 \text{ A/W}$ ($QE \cdot q/h \cdot \text{freq}$, where $QE=1$); Dark current = 0 nA
- The shot noise of the balanced detector is dominated by the local oscillator power and is calculated as follows:
 - Variance = $q \cdot R \cdot P_{wr_{LO}} \cdot BW = 1.6\text{E-}19 \cdot 1.25 \cdot 0.01 \cdot 10\text{e}9 = 2.0\text{e-}11 \text{ A}^2$
 - Standard deviation (RMS current) = $\text{SQRT}(\text{Variance}) = 4475\text{e-}6 \text{ A}$
- The probability of error is calculated as follows: $1/2 \cdot \text{erfc}(\text{SQRT}(\text{SNR})) = 1/2 \cdot \text{erfc}(\text{SQRT}(2 \cdot N_{\text{photons}}))$. To obtain a BER = 10^{-9} , 9 photons per bit is required.

REF: L. Kazovsky, S. Benedetto, A. Willner, *Optical Fiber Communication Systems*, Artech House (1996), pp. 267-271

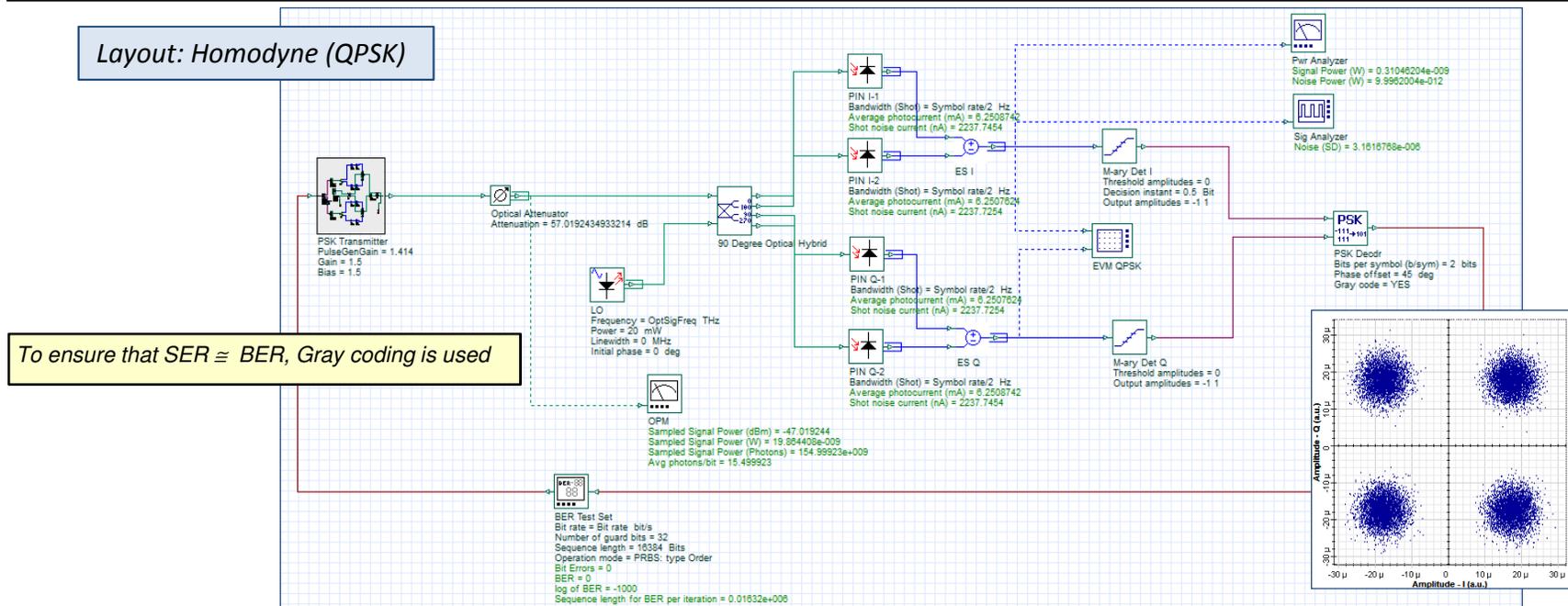
Layout: Homodyne (BPSK)



Homodyne balanced receiver (QPSK)

- In this example the quantum (shot) noise limit of an ideal homodyne balanced receiver (using quadrature PSK modulation) is analyzed. The test configuration is as follows: Bit rate: 10 Gb/s; Symbol rate: 5 Gb/s; Wavelength (OptSigFreq) = 193.414 THz; Power LO = 0.02 W; PIN responsivity ~ 1.25 A/W ($QE \cdot q/h \cdot freq$, where $QE=1$); Dark current = 0 nA
- The shot noise of the balanced detector (for each arm) is dominated by the local oscillator power and is calculated as follows:
 - Variance = $q \cdot R \cdot P_{wr_{LO}} \cdot BW = 1.6E-19 \cdot 1.25 \cdot 0.01 \cdot 5e9 = 1.0e-11$ A²
 - Standard deviation (RMS current) = $SQRT(\text{Variance}) = 3164e-9$ A (per I and Q channel)
- The signal to noise performance is halved compared to the BPSK homodyne case (due to the 90 deg hybrid which results in a 3 dB drop to the input optical signal). Thus to achieve the same SER/BER of 10^{-9} , the input number of photons/bits must be doubled, or equal to 18 (from $1/2 \cdot \text{erfc}(SQRT(N_{\text{photons}}))$).

REF: K. Kikuchi, "Fundamentals of Coherent Optical Fiber Communications," in *Journal of Lightwave Technology*, vol. 34, no. 1, pp. 157-179, Jan. 1, 2016.

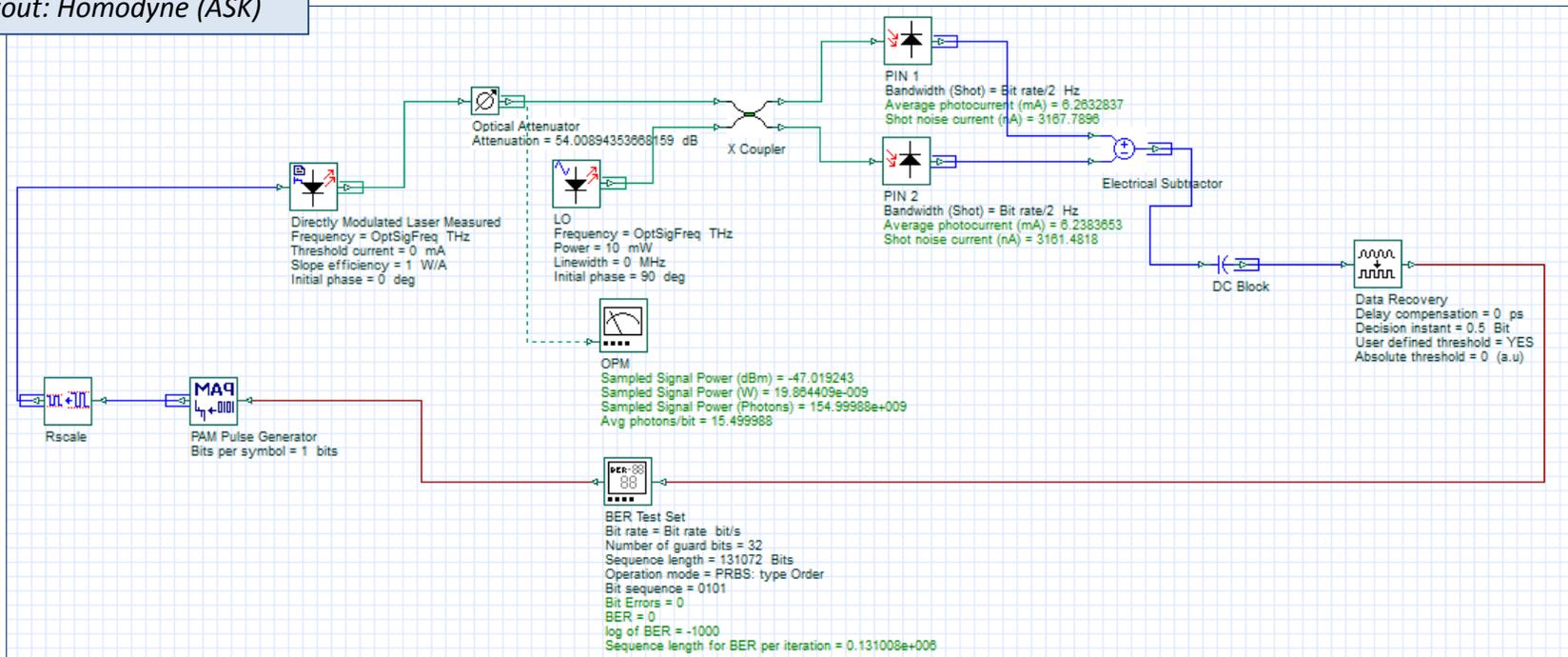


Homodyne balanced receiver (ASK)

- In this example the quantum (shot) noise limit of an ideal homodyne balanced receiver (using binary ASK modulation) is analyzed. The test configuration is as follows : Bit rate: 10 Gb/s; Wavelength (OptSigFreq) = 193.414 THz; Power LO = 0.01 W; PIN responsivity ~ 1.25 A/W ($QE \cdot q/h \cdot \text{freq}$ where $QE=1$); Dark current = 0 nA
- Due to the on-off nature of the modulation (compared to the constant power of PSK) there is 3 dB loss in performance compared to BPSK Homodyne. Thus for a BER = 10^{-9} , the number of photons per bit must equal 18 (from $1/2 \cdot \text{erfc}(\text{SQRT}(N_{\text{photons}}))$).

REF: L. Kazovsky, S. Benedetto, A. Willner, *Optical Fiber Communication Systems*, Artech House (1996), pp. 271-272

Layout: Homodyne (ASK)



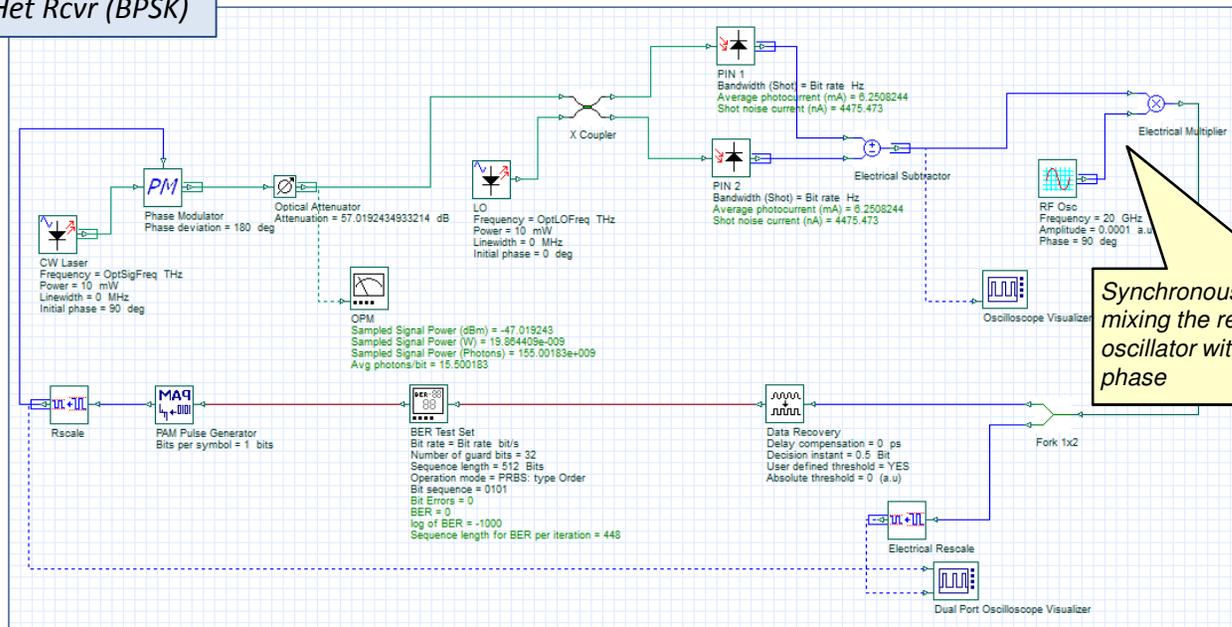
Synchronous heterodyne receiver (BPSK)

- In this example the quantum (shot) noise limit of an ideal heterodyne balanced receiver (using binary PSK modulation) is analyzed. The test configuration is as follows : Bit rate: 10 Gb/s; Wavelength (OptSigFreq) = 193.414 THz; Wavelength LO = 193.434 THz; Power LO = 0.01 W; PIN responsivity $\sim 1.25 \text{ A/W}$ ($QE \cdot q/h \cdot \text{freq}$, where $QE=1$); Dark current = 0 nA
- Due to the beating of the local oscillator with the input signal an intermediate signal will be created . This signal (and associated band) will be contained in both the positive (real) and negative (image) frequency bands (phase diversity receiver). Though the latter is not a real signal, the noise (quantum) fluctuations will be folded into the real band resulting in a doubling of the noise energy (and thus a 3 dB penalty in performance compared to BPSK Homodyne) [2] . For this example the noise energy has been doubled by increasing the receiver noise bandwidth setting (Total RMS current = 6328 nA).
- For a BER = 10^{-9} , the number of photons per bit must equal 18 (from $1/2 \cdot \text{erfc}(\text{SQRT}(N_{\text{photons}}))$) [1].

REF 1: L. Kazovsky, S. Benedetto, A. Willner, *Optical Fiber Communication Systems*, Artech House (1996), pp. 271-272

REF 2: K. Kikuchi, "Fundamentals of Coherent Optical Fiber Communications," in *Journal of Lightwave Technology*, vol. 34, no. 1, pp. 157-179, Jan.1, 1 2016.

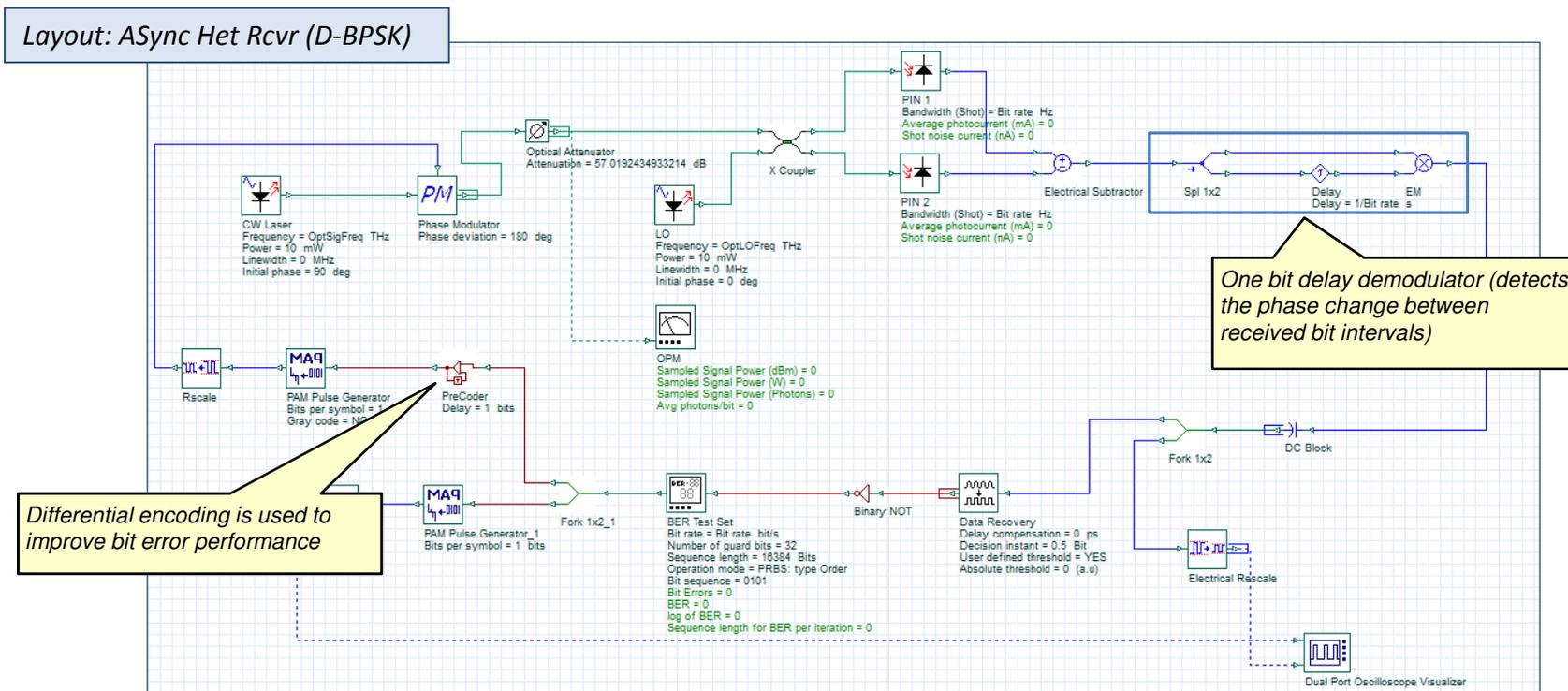
Layout: Sync Het Rcvr (BPSK)



Asynchronous heterodyne receiver (Diff BPSK)

- In this example the quantum (shot) noise limit of an asynchronous heterodyne balanced receiver (using differential binary PSK modulation) is analyzed. The test configuration is as follows: Bit rate: 10 Gb/s; Wavelength (OptSigFreq) = 193.414 THz; Wavelength LO = 193.434 THz; Power LO = 0.01 W; PIN responsivity ~ 1.25 A/W ($QE \cdot q/h \cdot \text{freq}$ where $QE=1$); Dark current = 0 nA
- For a BER = 10^{-9} , the number of photons per bit must equal 20 (from $1/2 \cdot \exp(-N_{\text{photons}})$), approximately a 0.5 dB penalty compared to synchronous heterodyne detection.

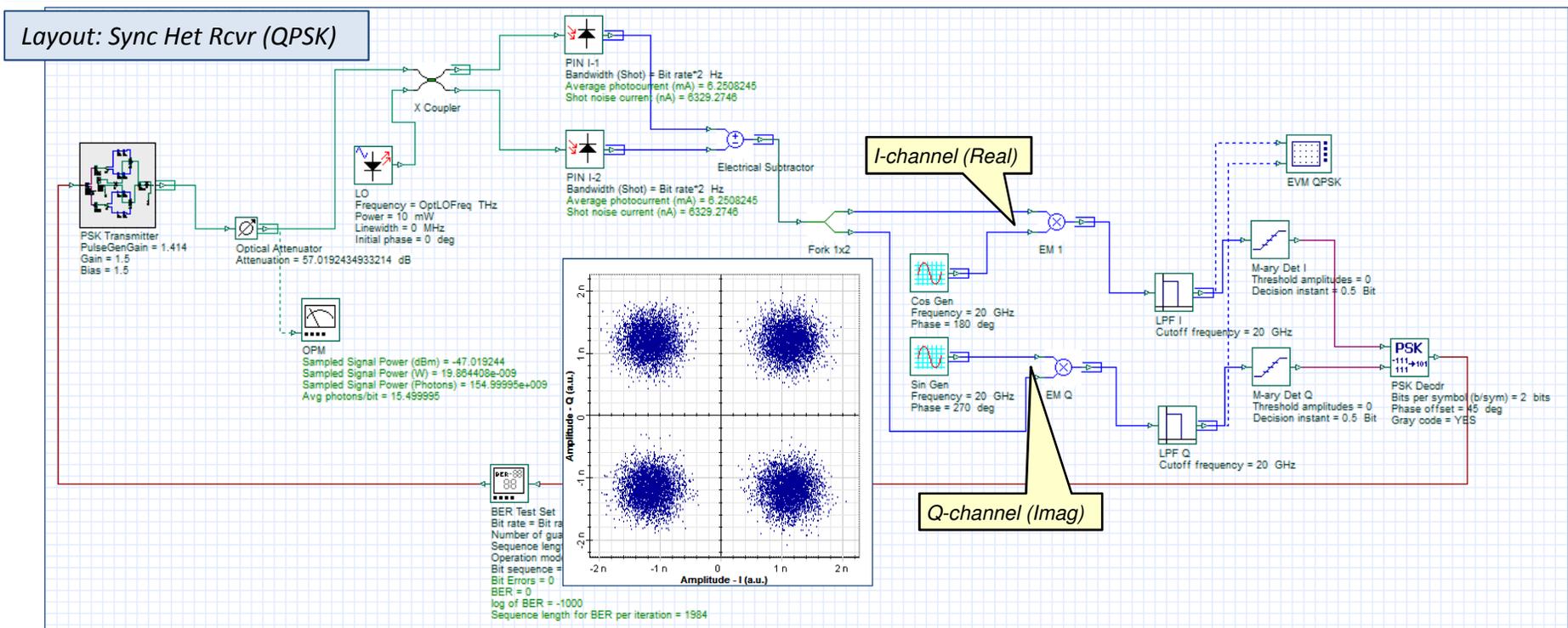
REF: L. Kazovsky, S. Benedetto, A. Willner, *Optical Fiber Communication Systems*, Artech House (1996), pp. 288-291



Synchronous heterodyne receiver (QPSK)

- In this example the quantum (shot) noise limit of an synchronous heterodyne QPSK balanced receiver is analyzed. The test configuration is as follows: Bit rate: 10 Gb/s; Wavelength (OptSigFreq) = 193.414 THz; Wavelength LO = 193.434 THz; Power LO = 0.01 W; PIN responsivity ~ 1.25 A/W ($QE \cdot q/h \cdot \text{freq}$ where $QE=1$); Dark current = 0 nA
- For a BER = 10^{-9} , the number of photons per bit must equal 18 (from $1/2 \cdot \exp(-N_{\text{photons}})$) which is equal to the QPSK homodyne and BPSK heterodyne receiver models. For the former, the noise penalty is 3 dB less but the requirement to use a 90 deg hybrid results in a 3 dB signal penalty thus resulting in the same level of performance compared to QPSK heterodyne. For the latter, the QPSK performance is equal to the BPSK as the QPSK symbol occupies two bit intervals (and thus has the same photons/bit).

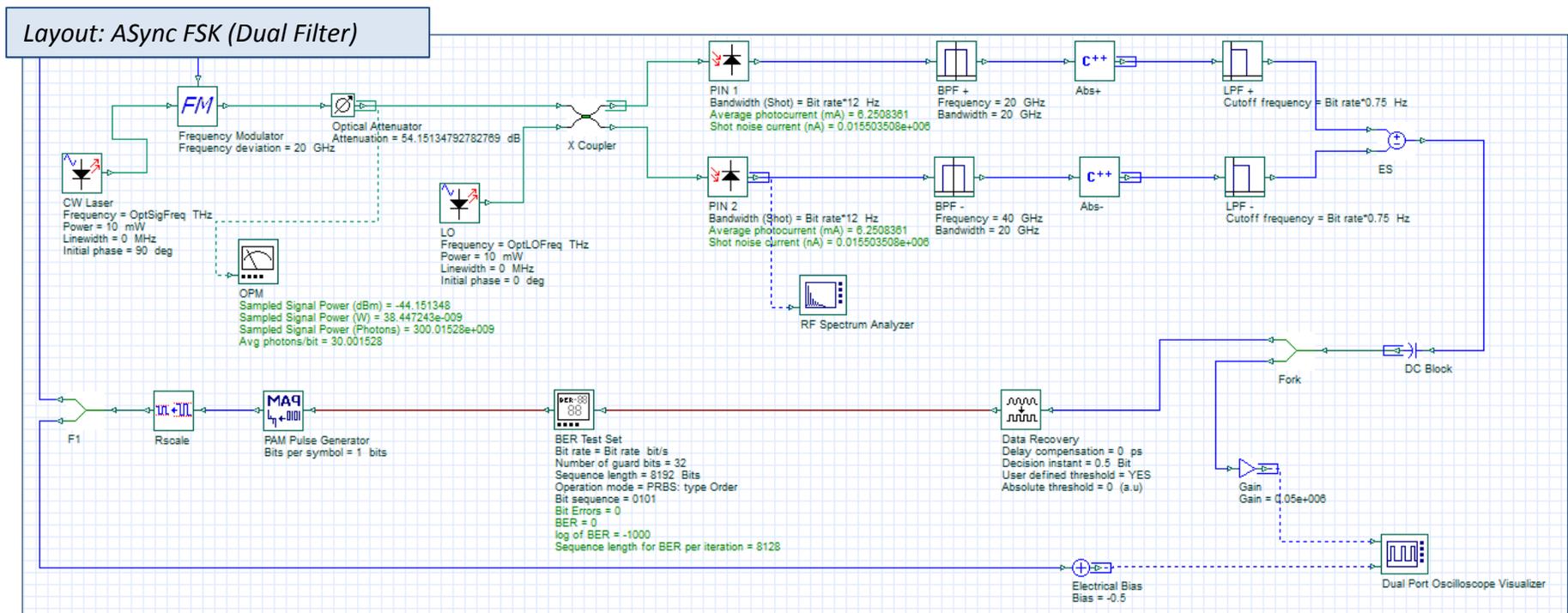
REF: K. Kikuchi, "Fundamentals of Coherent Optical Fiber Communications," in *Journal of Lightwave Technology*, vol. 34, no. 1, pp. 157-179, Jan. 1, 1 2016.



Asynchronous FSK (Dual filter)

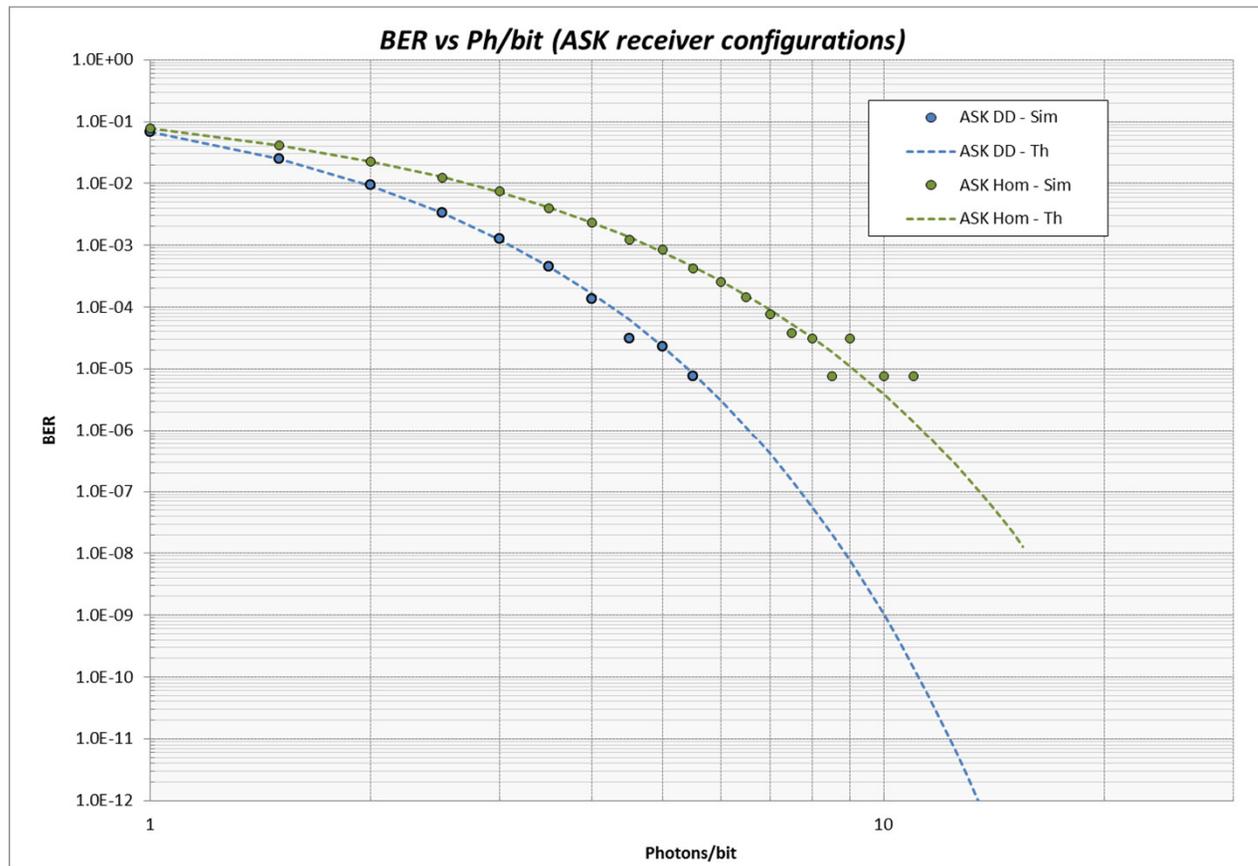
- In this example the quantum (shot) noise limited performance of an asynchronous heterodyne FSK balanced receiver (dual filter) is analyzed. The test configuration is as follows: Bit rate: 10 Gb/s; Freq deviation (FSK) = 20 Gb/s; Wavelength (OptSigFreq) = 193.414 THz; Wavelength LO = 193.444 THz; Power LO = 0.01 W; PIN responsivity ~ 1.25 A/W (QE*q/h*freq where QE=1); Dark current = 0 nA
- Band pass filters are used to isolate each frequency, followed by envelope detection - accomplished by performing wave rectification (absolute value of the incoming signal waveform) followed by detection of the waveform enveloped with a low pass filter.
- For a BER = 10^{-9} , the number of photons per bit must equal 40 (from $1/2 * \exp(-N_{\text{photons}}/2)$)

REF: L. Kazovsky, S. Benedetto, A. Willner, *Optical Fiber Communication Systems*, Artech House (1996), pp. 280-288.



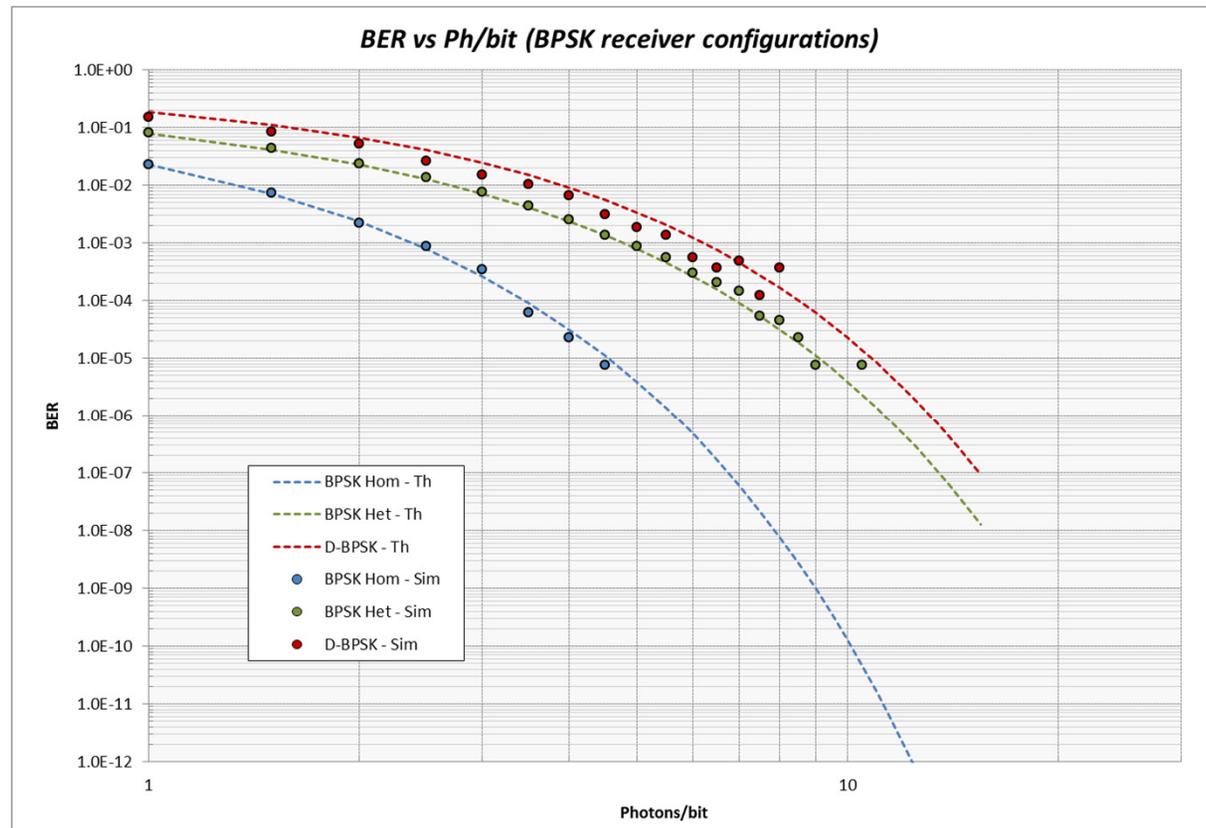
BER waterfall curves (ASK)

- Results for BER versus Average photons per bit received are shown below for **ASK Direct Detection** and **ASK Homodyne**
- Though the **ASK DD** shows better theoretical quantum-limited performance compared to **ASK Homodyne**, the practical performance limit of direct detection systems is much higher due to the presence of thermal noise resulting from the load resistance (only shot noise is modeled here)



BER waterfall curves (BPSK)

- Results for BER versus Average photons per bit received are shown below for **BPSK Homodyne**, **BPSK Heterodyne** and **Differential BPSK**
- BPSK Homodyne** provides the best shot-noise limited performance (but requires freq/phase synchronization between the signal and LO) , followed by **BPSK Heterodyne** (with a 3 dB penalty resulting from a doubling of the noise density) and **Diff BPSK** (with an additional 0.5 dB resulting from the use of a differential detection method that however doesn't require an electrical PLL)



BER waterfall curves (QPSK)

- Results for BER versus Average photons per bit received are shown below for **QPSK Homodyne** and **QPSK Heterodyne**
- Both receiver models provide the same performance as the noise penalty is 3 dB less for **QPSK Homodyne** but this benefit is offset from the requirement to use a 90 deg hybrid (which re-introduces a 3 dB signal penalty)

